

Reteaching**11-2 & 3****Multiplying and Dividing Rational Expressions**

There are many types of *complex fractions*.

A complex fraction can be a fraction with one or more additional fractions in the numerator, or in the denominator, or in both the numerator and the denominator.

Problem

Is $\frac{5x^3}{\frac{6x^2}{x+1}}$ a complex fraction? Explain.

Solve

Ask: Is the numerator a fraction? → No. $5x^3$ is not a fraction.

Ask: Is the denominator a fraction? → Yes. $\frac{6x^2}{x+1}$ is a fraction.

A fraction is in the denominator → $\frac{5x^3}{\frac{6x^2}{x+1}}$ is a complex fraction.

Exercises

Tell if the following terms are complex fractions. Explain your reasoning.

1. $\frac{\frac{4y}{5}}{\frac{9}{2y}}$

2. $\frac{2}{3+8z}$

3. $\frac{1}{\frac{x+2}{x-2}}$

4. $\frac{\frac{2x}{3}}{5x}$

5. $\frac{\frac{3x^2}{x+8}}{x^3}$

6. $\frac{\frac{4x+9}{2x+8}}{\frac{5x-6}{3x+7}}$

7. $\frac{\frac{x-2}{7}}{x+4}$

8. $\frac{\frac{2}{x}}{\frac{x}{5}}$

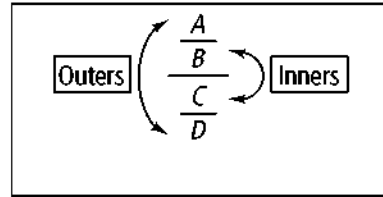
9. $\frac{\frac{13x^2}{x+2}}{\frac{4x^3}{x+16}}$

Simplifying Complex Fractions

You can use the *Outers Over Inners* method to simplify complex fractions.

The Outers Over Inners method sets up a simplified fraction that looks like this:

$$\frac{\text{Product of Outers}}{\text{Product of Inners}} \rightarrow \frac{\text{Outers}}{\text{Inners}} = \frac{AD}{BC}$$



For example, in the fraction: $\frac{\frac{6y}{5}}{\frac{2}{4y}}$ and $6y$ are

the "outer" terms; 5 and 2 are the "inner" terms.

If a numerator or denominator is not a fraction, make it a fraction by rewriting it as

$$\frac{\text{Polynomial}}{1}$$

Problem

Simplify $\frac{\frac{6y}{5}}{\frac{2}{4y}}$

Solve $\frac{\text{Outers}}{\text{Inners}} = \frac{(6y)(4y)}{(5)(2)} = \frac{24y^2}{10}$

Check Rewrite as numerator divided by denominator. $\frac{6y}{5} \div \frac{2}{4y}$

Rewrite as a multiplication problem. $\frac{6y}{5} \times \frac{4y}{2} = \frac{24y^2}{10}$

Exercises

Simplify using the Outers Over Inners method.

10. $\frac{\frac{(g+4)}{2}}{g}$

11. $\frac{\frac{(x+1)}{2}}{\frac{x}{3}}$